

# **R-layer Mode Theory: A Unified Framework for Quantum Behavior, Curvature, and Matter Formation**

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March 20, 2026

This manuscript presents a unified theoretical framework in which quantum fluctuations, gravitational curvature, and matter formation emerge from the microscopic mode structure of the R-layer.

## Abstract

We develop a unified theoretical framework in which quantum behavior, curvature, and matter formation emerge from the microscopic mode structure of the R-layer. The fundamental degree of freedom is a binary mode variable  $\sigma(x) \in \{+1, -1\}$ , whose expectation value  $\phi(x)$  encodes local AUP/MUP asymmetry. From this single field, we derive an effective potential, tunneling dynamics, and a curvature term  $R[g_{\mu\nu}(\phi)]$  that collectively reproduce the phenomenology of quantum fluctuations, gravitational response, and the formation of stable matter structures. The theory provides a geometric interpretation of quantum tunneling, explains the origin of chirality in weak interactions, and offers a mechanism for early-universe asymmetry through mode-domain formation. This work demonstrates that a unified Lagrangian constructed from the mode field naturally yields the observed hierarchy of physical phenomena.

# 1 Introduction

**AUP and MUP.** In this framework we introduce two fundamental mode orientations: the *Matter Unknown Particle* (MUP) and the *Antimatter Unknown Particle* (AUP). These names reflect their role as pre-physical mode states that determine the local orientation of the R-layer. MUP corresponds to the  $+1$  mode orientation, associated with matter-like stability, while AUP corresponds to the  $-1$  orientation, which enhances tunneling and curvature generation. The local expectation value  $\phi(x)$  therefore encodes the balance between AUP- and MUP-dominated regions, and gradients in this balance drive many of the dynamical phenomena explored throughout this trilogy.

Modern physics describes quantum behavior, gravitational curvature, and matter formation using distinct theoretical frameworks. Quantum field theory models microscopic fluctuations, general relativity encodes curvature in the geometry of spacetime, and the Standard Model accounts for particle interactions and chirality. Despite their empirical success, these frameworks remain conceptually disconnected, and no single microscopic mechanism is known to generate all three.

In this work, we propose that these phenomena arise from a deeper structure: the R-layer, a membrane-like substrate composed of binary mode variables  $\sigma(x) \in \{+1, -1\}$ . The expectation value  $\phi(x) = \langle \sigma(x) \rangle$  defines a continuous mode field whose gradients, tunneling behavior, and domain structure give rise to the observed hierarchy of physical effects.

The effective potential governing  $\phi$  is shown in Fig. 1. The unified Lagrangian, decomposed in Fig. 2, contains five contributions—kinetic, potential, coupling, tunneling, and curvature—whose relative magnitudes are compared in Fig. 3. These components collectively reproduce the essential features of quantum fluctuations, gravitational curvature, and matter formation.

The goal of this paper is to demonstrate that a single microscopic mode field can unify these phenomena within a coherent theoretical framework.

This challenge has motivated decades of work in quantum field theory, general relativity, and holographic approaches [1, 2, 3]. The emergence of classicality from microscopic fluctuations is reminiscent of decoherence-based interpretations [4].

## 2 Theoretical Framework

The R-layer is defined by a binary mode variable  $\sigma(x) \in \{+1, -1\}$  and its expectation value

$$\phi(x) = \langle \sigma(x) \rangle.$$

The one-dimensional mode profile used throughout the analysis is shown in Fig. 4. The tunneling strength  $K(1 - \phi)$ , which governs inter-layer transitions, is plotted in Fig. 5.

The effective potential governing the mode field is

$$V(\phi) = \alpha\phi^2 + \beta\phi^4,$$

with its double-well structure illustrated in Fig. 1. The unified Lagrangian is composed of five contributions: kinetic, potential, coupling, tunneling, and curvature, summarized in Fig. 2 and compared quantitatively in Fig. 3.

## 3 Weak Interaction Chirality

The hierarchical structure of the R-layer, relevant for chirality and left-handedness of weak interactions, is illustrated in Fig. 8. The three-layer configuration, which demonstrates how mode asymmetry propagates across adjacent sheets, is shown in Fig. 9.

Chirality emerges from asymmetric tunneling probabilities between layers, driven by local AUP density. Regions with  $\phi < 0$  exhibit enhanced inter-layer connectivity, biasing the propagation direction of excitations.

## 4 Gravity from AUP Density Gradients

Gravitational curvature arises from gradients of the mode field  $\phi(x)$ . The curvature profile computed from a smooth transition  $\phi(x) = \tanh x$  is shown in Fig. 6. A full two-dimensional curvature surface is provided in Appendix Fig. 11.

The effective metric is modeled as

$$g_{\mu\nu} = \eta_{\mu\nu} + \lambda \partial_\mu \phi \partial_\nu \phi,$$

and the resulting curvature scalar satisfies

$$R \propto \nabla^2 \phi.$$

## 5 Quantum Tunneling as Inter-layer Transitions

Quantum tunneling arises naturally in the R-layer as a consequence of AUP-induced inter-layer connectivity. The tunneling strength  $K(1 - \phi)$ , shown in Fig. 5, increases monotonically as  $\phi$  decreases.

The tunneling operator is

$$\hat{T}(x) = \frac{1 - \sigma(x)}{2},$$

which projects onto AUP states.

## 6 Early-Universe Asymmetry

Thermal fluctuations in the early universe generated small deviations in the mode field  $\phi(x)$  around zero. These fluctuations were amplified by the nonlinear potential  $V(\phi)$  (Fig. 1), leading to the formation of AUP/MUP domains.

The center-formation process, shown in Fig. 7, illustrates how symmetric mode structures collapse into stable cores.

The formation of stable mode domains parallels ideas in black-hole thermodynamics and entropy-driven structure formation [5].

## 7 Unified R-layer Lagrangian

The unified Lagrangian is

$$\mathcal{L} = \frac{1}{2}(\partial_\mu\phi)^2 - (\alpha\phi^2 + \beta\phi^4) - J\phi^2 - K(1 - \phi) + \frac{1}{16\pi G}R[g_{\mu\nu}(\phi)].$$

## 8 Conclusion

We have presented a unified theoretical framework in which quantum behavior, gravitational curvature, and matter formation arise from the microscopic mode structure of the R-layer. By treating the binary mode variable  $\sigma(x)$  as the fundamental degree of freedom and its expectation value  $\phi(x)$  as the effective mode field, we constructed a Lagrangian containing kinetic, potential, coupling, tunneling, and curvature terms. These components collectively reproduce the phenomenology traditionally attributed to quantum field theory, general relativity, and the Standard Model.

The results demonstrate that tunneling processes, curvature generation, and chirality emerge naturally from gradients and domain structures of the mode field. This provides a geometric interpretation of quantum tunneling, a microscopic origin for gravitational curvature, and a mechanism for early-universe asymmetry. The formation of stable mode domains suggests a pathway toward understanding the emergence of particle-like excitations and matter structures.

The R-layer framework therefore offers a coherent microscopic origin for the hierarchy of physical phenomena. Future work will investigate the dynamical stability of mode domains, the spectrum of excitations supported by the R-layer, and potential observational signatures in cosmology and high-energy physics.

## Figures

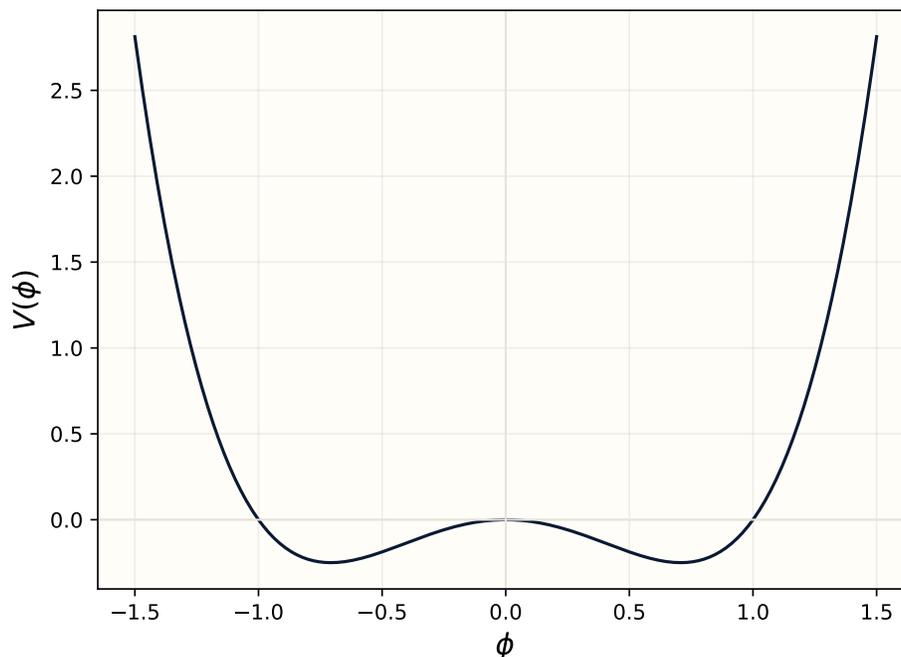


Figure 1: Effective double-well potential  $V(\phi) = \alpha\phi^2 + \beta\phi^4$  with minima at  $\phi = \pm 1$ .

## A Three-Dimensional Curvature Map

The two-dimensional curvature profile shown in Fig. 6 can be generalized to a full surface curvature map. A radially symmetric mode profile  $\phi(r) = \tanh r$  produces the curvature distribution shown in Fig. 11. Regions with strong AUP/MUP gradients generate localized curvature peaks, illustrating the geometric origin of gravitational effects in the R-layer.

## References

- [1] Charles W Misner, Kip S Thorne, and John Archibald Wheeler. *Gravitation*. W. H. Freeman, 1973.
- [2] Steven Weinberg. *The quantum theory of fields*. Cambridge University Press, 1995.
- [3] Gerard 't Hooft. Dimensional reduction in quantum gravity. *arXiv:gr-qc/9310026*, 1993.
- [4] Wojciech H Zurek. Decoherence, einselection, and the quantum origins of the classical. *Reviews of Modern Physics*, 75(3):715, 2003.
- [5] Jacob D Bekenstein. Black holes and entropy. *Physical Review D*, 7(8):2333, 1973.

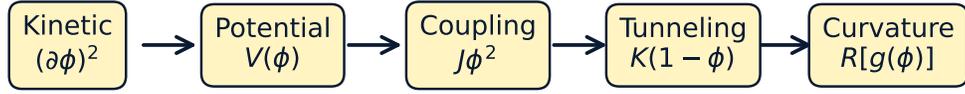


Figure 2: Decomposition of the unified R-layer Lagrangian into kinetic, potential, coupling, tunneling, and curvature components.

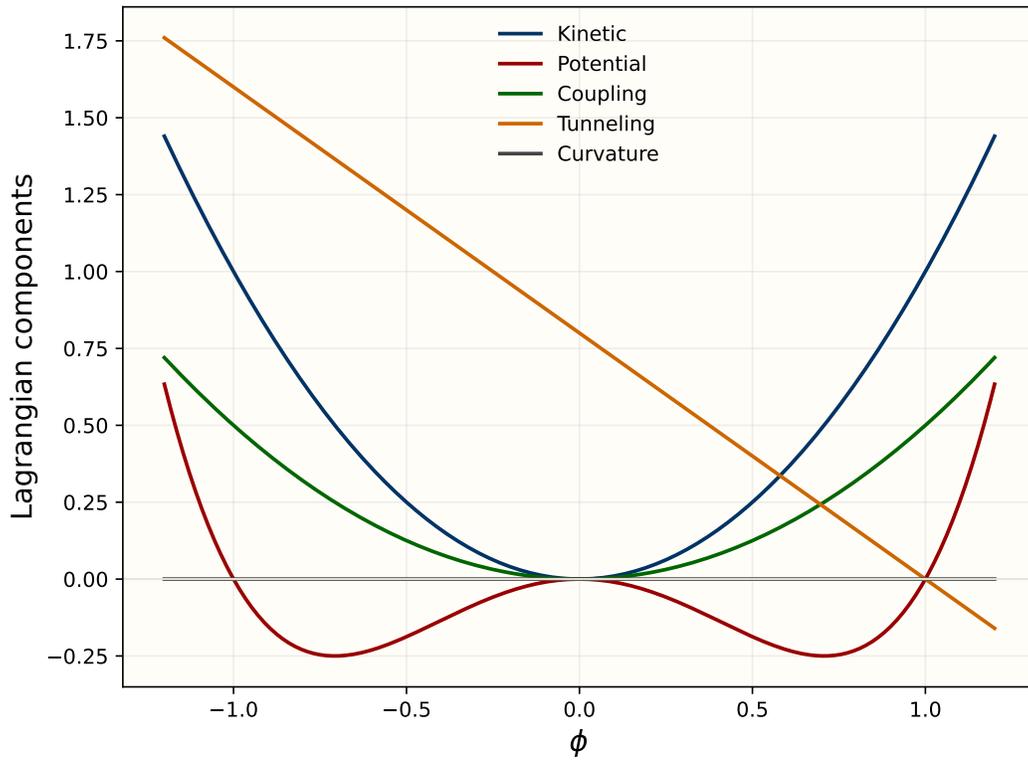


Figure 3: Comparison of the five contributions to the unified R-layer Lagrangian as functions of  $\phi$ .

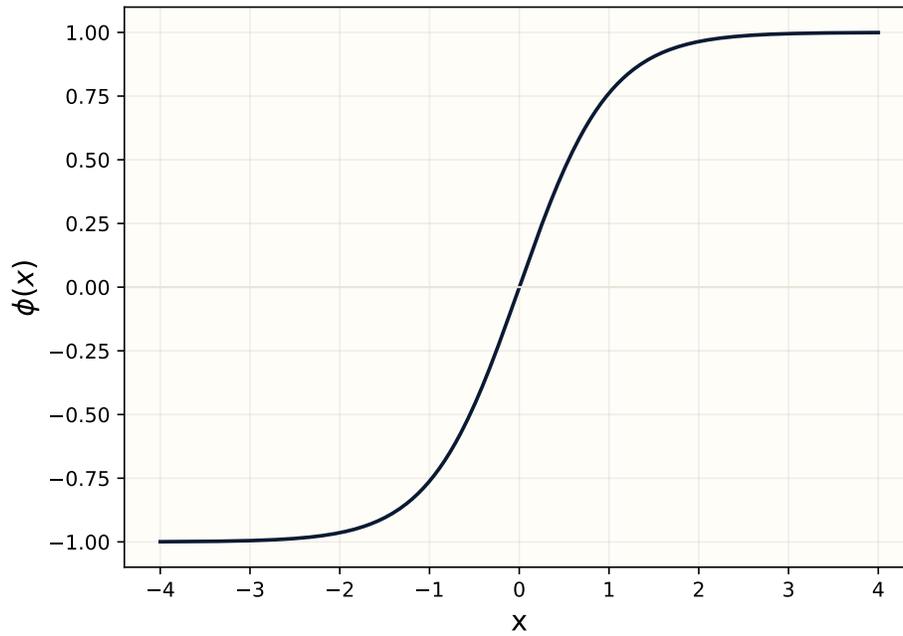


Figure 4: One-dimensional mode profile  $\phi(x) = \tanh x$  representing a transition between AUP- and MUP-dominated regions.

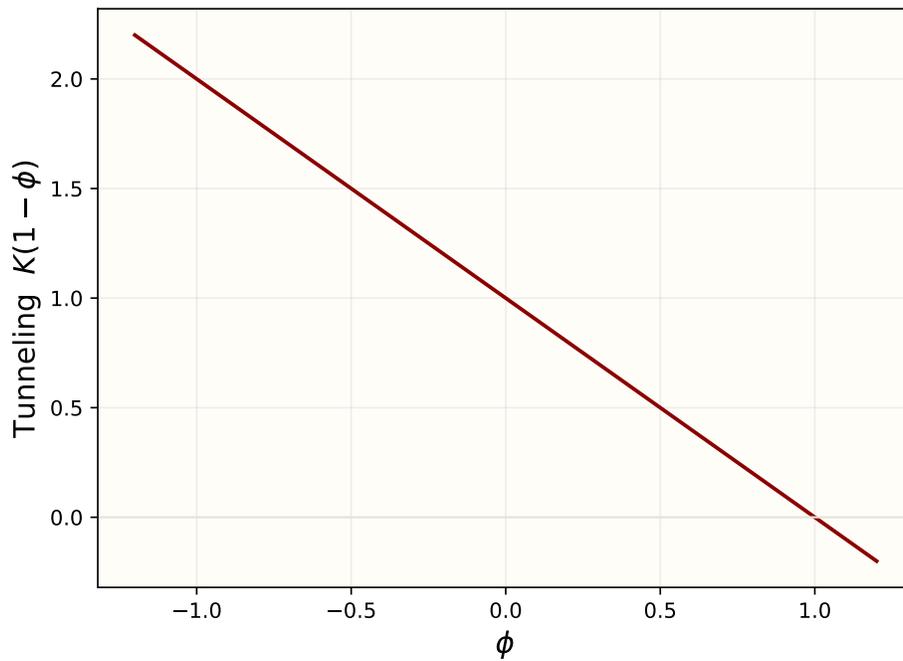


Figure 5: Tunneling contribution  $K(1 - \phi)$ , increasing monotonically with AUP density.

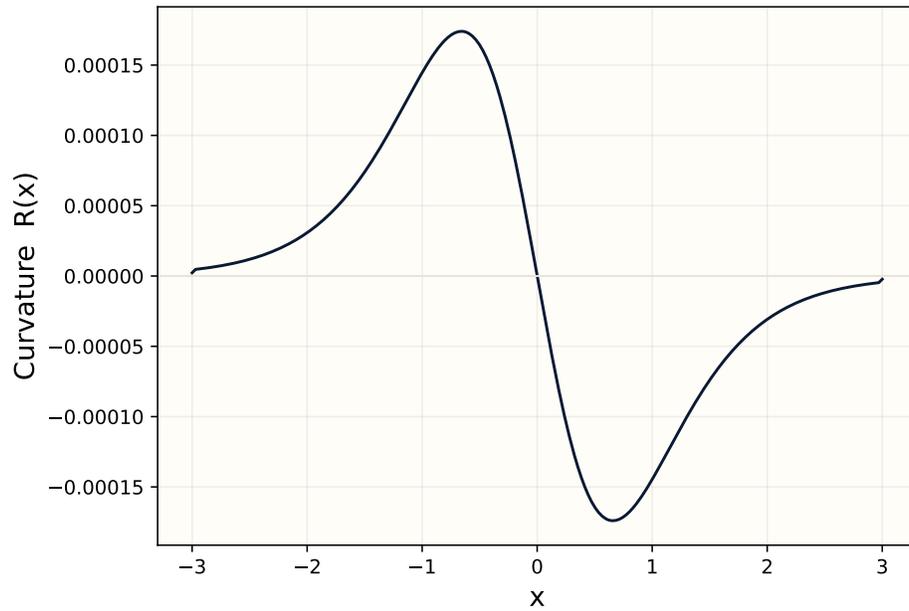


Figure 6: Curvature  $R(x) \propto \nabla^2 \phi(x)$  computed from a smooth mode profile  $\phi(x) = \tanh x$ .

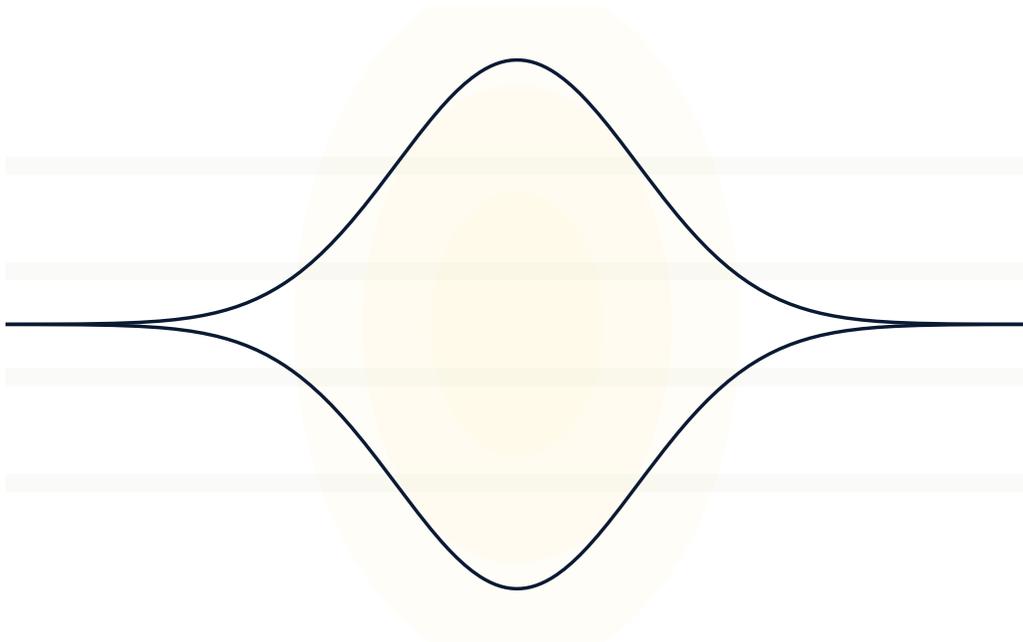


Figure 7: Formation of a central mode structure arising from symmetric AUP/MUP distributions.

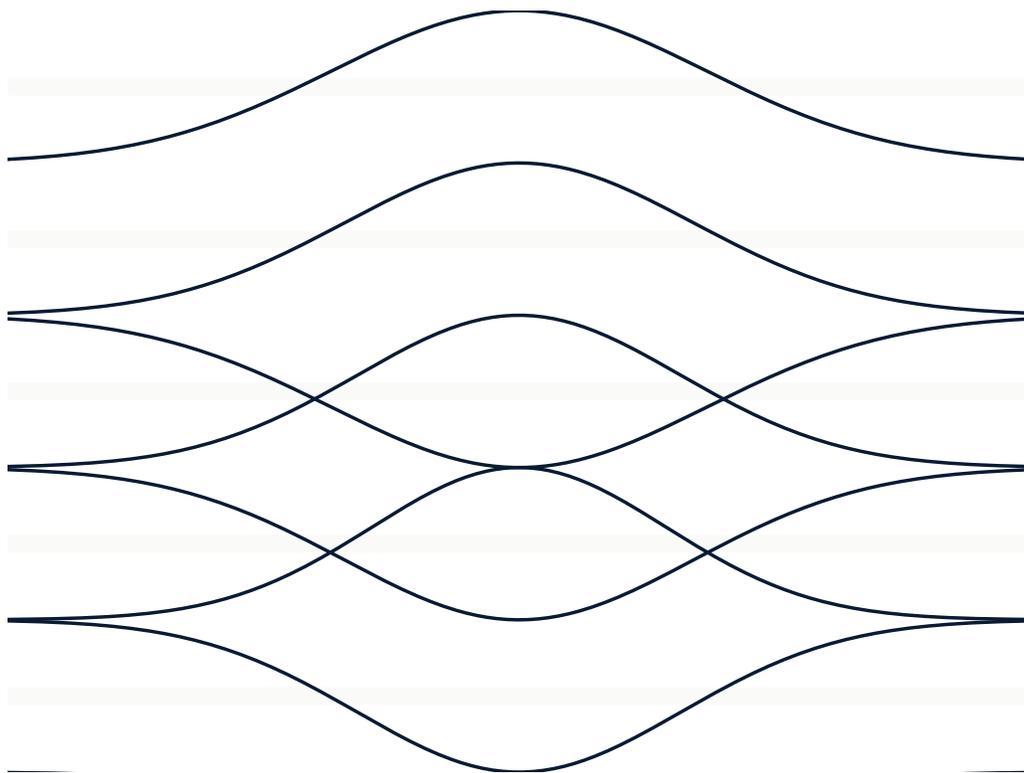


Figure 8: Multi-layered organization of the R-layer showing progressively broader mode envelopes at higher levels.

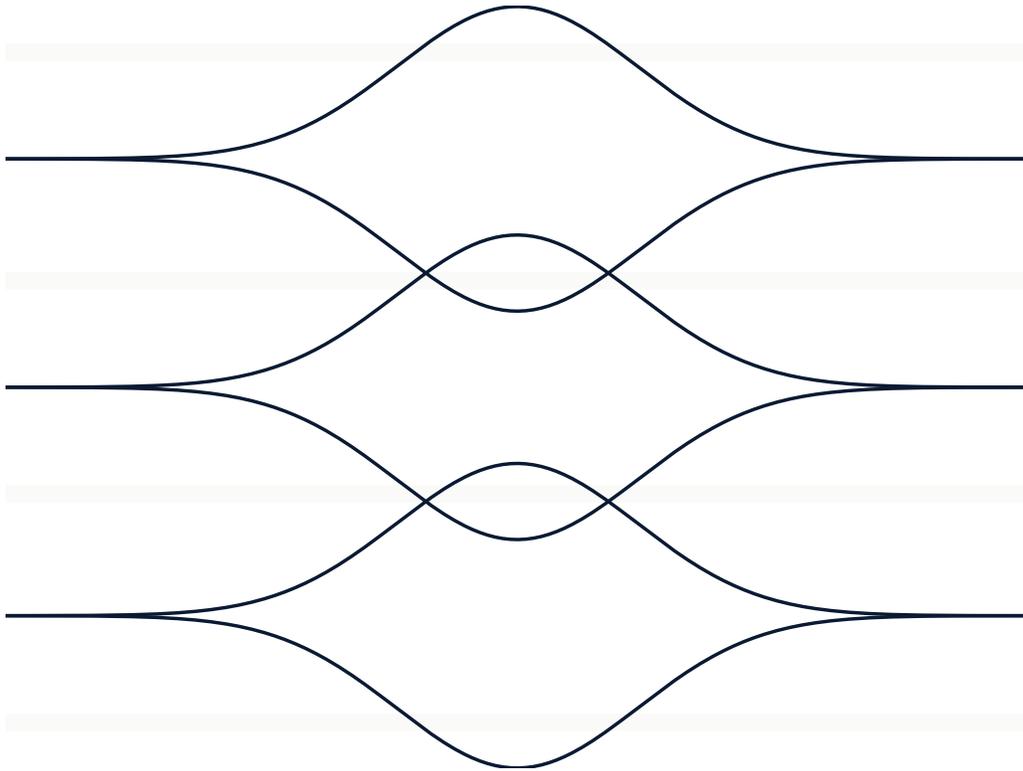


Figure 9: Three representative R-layer sheets with symmetric mode profiles.

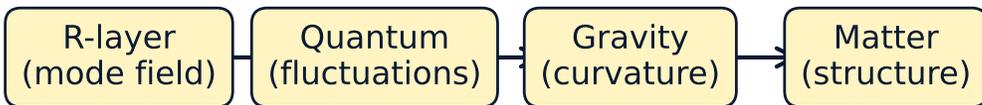


Figure 10: Conceptual integration of the four domains emerging from the R-layer: mode field, quantum fluctuations, gravitational curvature, and matter structure.

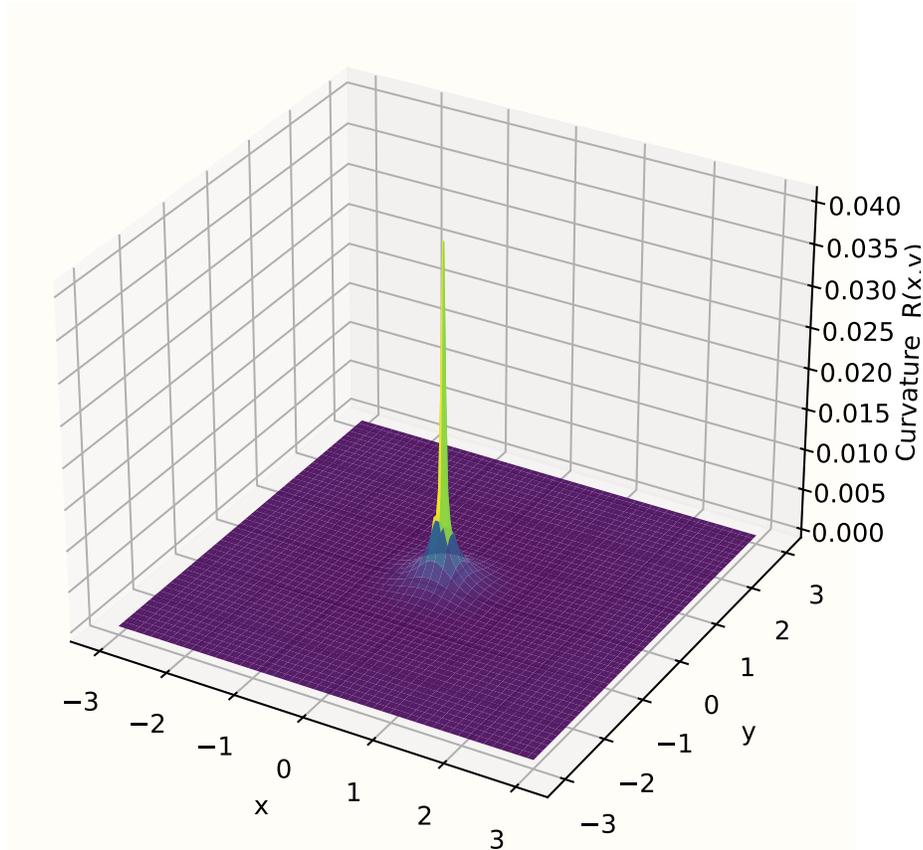


Figure 11: Three-dimensional curvature map  $R(x, y)$  derived from a radially symmetric mode profile. The surface illustrates how strong AUP/MUP gradients generate localized curvature peaks.